Compact RF non-linear electro thermal model of SiGe HBT for the design of broadband ADC's


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The design of high speed integrated circuits heavily relies on circuit simulation and requires compact transistor models. This paper presents a non-linear electro-thermal model of SiGe heterojunction-bipolar transistor (HBT). The non-linear model presented in this paper uses a hybrid \( \pi \) topology and it is extracted using IV and S-parameter measurements. The thermal sub-circuit is extracted using low-frequency S-parameter measurements. The model extraction procedure is described in detail. It is applied here to the modeling of npn SiGe HBTs. The proposed non-linear electro-thermal model is expected to be used for the design of high-speed electronic functions such as broadband analog digital converters in which both electrical and thermal aspects are engaged. The main focus and contribution of this paper stands in the fact that the proposed non-linear model covers wideband-frequency range (up to 65 GHz).

Keywords: Modelling, Simulation and Characterizations of devices and Circuits, Microwave Measurements

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I. INTRODUCTION

Owing to superior speed performance, heterojunction-bipolar transistors (HBT) have found wide applications in high-speed switching and digital electronic systems. The demand for wideband circuits is driven by many newly introduced or future military and commercial applications, such as short-range high data rate communication systems, radar detection, digital satellite payloads and software-defined radios. Advances in modern processes such as SiGe heterojunction transistors have shown the possible practical realization of low-cost communication systems-on-chip (SOC). Owing to its high-speed advantage and great design flexibility, SiGe HBT has emerged as a technology of choice for radio-frequency (RF) and mixed digital/analog circuits [1]. Integrated circuit designers are often faced with model complexity versus simulation efficiency. It is highly desirable to have two kinds of models, a simplified version for fast simulations and circuit design tasks and a detailed version for process technology evaluation and device structure optimization. The contribution proposed in this paper concerns a compact non-linear electro-thermal model for circuit design purpose.

Most of the reported HBT models such as VBIC, MEXTRAM, and HICUM are very complex and have a great number of parameters [2–5]. In this paper, we propose a compact model that does not target a description of numerous physical phenomena that take place in the device. The aim of the proposed model is to provide a sufficiently accurate prediction of the main electro-thermal aspects to enable fast and efficient simulations for circuit design purpose. A hybrid model already reported in [6, 7] has been enhanced as shown in the following and is applied here to the non-linear electro-thermal modeling of SiGe HBT’s from Infineon Technologies. The technology is called B7HF200 and uses relaxed 0.35 \( \mu \)m lithography. The process provides high-speed HBTs \( (\text{\textit{f}} \text{\textsubscript{T}} = 200 \text{GHz}; \ F\text{\textsubscript{max}} = 250 \text{GHz}) \) [8]. In Section II, the model topology is given; in Section III, the model extraction procedure is described; and Section IV is dedicated to model validation over a broadband.

II. NON-LINEAR MODEL TOPOLOGY

The electro-thermal HBT model used in this work is based on a hybrid \( \pi \) topology as illustrated in Fig. 1.

The intrinsic part of the equivalent circuit is described by four diodes and one controlled current source:

- \( D_{be} \) and \( D_{bc} \) control the current source.
- \( D_{fe} \) and \( D_{fb} \) take into account leakage currents.

This model uses a physical description for base collector and base emitter charges.

Equations of such a model have been already reported and applied to GaAs HBT modeling in [6, 7]. They are recalled hereafter for convenience.
The model parameters that are given below correspond to a 3 × 2.8 × 0.35 μm² SiGe HBT

1) Model equations for diodes:

\[ I_{be} = I_0 e^{-\frac{qV_{be}}{NckT}} - 1 \]  

\[ I_{bc} = I_0 e^{-\frac{qV_{bc}}{NckT}} - 1 \]  

\[ I_{bje} = I_0 e^{-\frac{qV_{bje}}{NckT}} - 1 \]  

\[ I_{bke} = I_0 e^{-\frac{qV_{bke}}{NckT}} - 1 \]  

\( T \) is the junction temperature, \( k \) is the Boltzmann constant, and \( q \) is the electron charge.

Model parameters for diodes

<table>
<thead>
<tr>
<th>( I_{be} )</th>
<th>( I_{bc} )</th>
<th>( I_{bje} )</th>
<th>( I_{bke} )</th>
</tr>
</thead>
<tbody>
<tr>
<td>500 A</td>
<td>20 000 A</td>
<td>0.005 A</td>
<td>1000 A</td>
</tr>
<tr>
<td>12.498 K</td>
<td>15.440 K</td>
<td>8000 K</td>
<td>14.500 K</td>
</tr>
<tr>
<td>1.097</td>
<td>1.004</td>
<td>2.1</td>
<td>3</td>
</tr>
</tbody>
</table>

2) Model equations for current source \( I_{ct} \)

\[ I_{ct} = \alpha_f I_{be} - \alpha_r I_{bc} \]  

\[ \alpha_f = \frac{\beta_0}{\beta_0 + 1} \quad \text{and} \quad \alpha_r = \frac{\beta_r}{\beta_r + 1} \]  

Model parameters for current source, access resistances, and thermal circuit

<table>
<thead>
<tr>
<th>( \beta_0 )</th>
<th>( \alpha_r )</th>
<th>( R_b )</th>
<th>( R_c )</th>
</tr>
</thead>
<tbody>
<tr>
<td>343</td>
<td>1</td>
<td>10.04 Ω</td>
<td>2.98 Ω</td>
</tr>
<tr>
<td>18.11 Ω</td>
<td>273 °K</td>
<td>1600 °C</td>
<td>10⁻⁹ Ω C</td>
</tr>
</tbody>
</table>

3) Model equations for charges:

3a) Base-emitter charge \( q_{be} \)

\[ q_{be} = q_{bej} + q_{bed} + q_{bke} \]  

\( q_{bej} \) stands for depletion, \( q_{bed} \) for diffusion, and \( q_{bke} \) for Kirk effect.

\[ q_{bej} = -\frac{C_{joe} \varphi_{BE} (1 - (V_{lim-be} / \varphi_{BE}))^{1 - Mje}}{1 - q_{bed}} + \frac{C_{joe} (1 - lim)_{Mje} (V_{be} - V_{lim-be}) + K_{be}}{1 - lim} \]  

\[ V_{lim-be} = V_{be} - \phi_{BE} (1 - lim) \]

\[ \ln(1 + e^{(V_{be} - \lim \phi_{be} / \lim))} \]

\( K_{be} \) is a constant that is used to force the charge to 0 when \( V_{be} = 0 \). \( V_{lim-be} \) expression is used to limit the value of the base emitter voltage \( V_{be} \) when it approaches \( \Phi_{BE} \). This technique has been reported in [9].

Model parameters for \( q_{bej} \)

<table>
<thead>
<tr>
<th>( C_{joe} )</th>
<th>( \Phi_{BE} )</th>
<th>( M_{je} )</th>
<th>( K_{be} )</th>
<th>( \lim )</th>
</tr>
</thead>
<tbody>
<tr>
<td>2.1 × 10⁻¹⁴</td>
<td>0.6</td>
<td>0.008</td>
<td>0.95</td>
<td>0.98</td>
</tr>
</tbody>
</table>

\[ q_{bed} = \tau_0 (1 - V_{be} V_{bc})(1 - I_{ct} I_{c})(1 - F_{da} F_{ic}) \]

\( I_{c} \) is the collector current and \( F_{ic} \) is a function defined as following:

\[ F_{ic} = I_{c} + A_f \frac{G \left( \frac{I_{c}}{A_f} \right)}{A_f} \quad \text{if} \quad I_{c} > 0 \]

\[ F_{ic} = \frac{A_f}{G \left( \frac{I_{c}}{A_f} \right)} \quad \text{if} \quad I_{c} < 0 \]

Where function \( G(u) = \frac{0.5}{\sqrt{1 + u^2} - u} \) if \( u > -1 \)

\[ G(u) = \frac{-0.5}{u(1 + \sqrt{1 + (1/u^2)})} \quad \text{if} \quad u < -1 \]

Model parameters for \( q_{bke} \)

<table>
<thead>
<tr>
<th>( \tau_0 )</th>
<th>( V_{be} )</th>
<th>( I_{ct} )</th>
<th>( F_{da} )</th>
<th>( A_f )</th>
</tr>
</thead>
<tbody>
<tr>
<td>10⁻¹⁵ s</td>
<td>1</td>
<td>5 × 10⁻⁶</td>
<td>0.259</td>
<td>0.01</td>
</tr>
</tbody>
</table>

\[ q_{bke} = \tau_0 I_{c}(1 - F_{da})H^2(I_{c}) \]

Function \( H(I_{c}) \) is defined as the following and has also been used in [10].

\[ H(I_{c}) = \frac{(1 - (I_{c} / I_{c} + 10^{-6}) + \sqrt{(1 - (I_{c} / I_{c} + 10^{-6})^2)} + A_{\phi c}}}{1 + \sqrt{1 + A_{\phi c}}} \]

where \( I_{c} = I_{k0}(1 - V_{bc} \lim \cdot V_{bc}) \)
Model parameters for $q_{bek}$

<table>
<thead>
<tr>
<th>$\tau_{\text{ik}}$</th>
<th>$F_{cd} = 0.7$</th>
<th>$I_{bc} = 11 \times 10^{-3}$ A</th>
<th>$A_{\text{re}} = 0.046$</th>
<th>$V_{Bc_{\text{ref}}} = 0.2$</th>
</tr>
</thead>
</table>

3b) Base-collector charge $q_{bc}$

$$q_{bc} = q_{boj} + q_{bkd} + q_{bc-\text{trans}}$$

$$q_{boj} = -C_{jo} \phi_{bc}(1 - (V_{\text{lim-lc}}/\phi_{bc}))^{1-M_{jc}}$$

$$+ C_{jo} \left(1 - \lim \right)^{\frac{1}{M_{jc}}} (V_{bc} - V_{\text{lim-lc}}) + C_{bcp} V_{bc}$$

With $V_{\text{lim-lc}} = V_{bc} - \phi_{bc}(1 - \lim)$

$$\ln(1 + e^{(V_{bc} - \lim) \phi_{bc}/\phi_{bc}(1 - \lim)})$$

Model parameters for $q_{boj}$

<table>
<thead>
<tr>
<th>$C_{jo} = 3.8 \times 10^{-14}$</th>
<th>$\phi_{bc} = 1.2$</th>
<th>$M_{jc} = 0.4$</th>
<th>$C_{bcp} = 2 \times 10^{-15}$</th>
<th>$\lim = 0.98$</th>
</tr>
</thead>
</table>

$$q_{bkd} = \tau_{\text{r}} I_{c}$$

$$q_{bc-\text{trans}} = F_{cd} q_{bkd} + \frac{F_{ck}}{1 - F_{ck}} q_{bek}$$

$F_{cd}$ is a constant used to divide the charges in the base into two parts. The first one takes into account the diffusion charges which depend on $V_{bc}$, the second one $q_{bc-\text{trans}}$ takes into account non-quasi-static effects in charge distribution and is called trans-capacitance.

$F_{ck}$ is a constant used to divide the Kirk charges into a base emitter capacitance and a base collector capacitance.

$q_{bek}$ represents the part of $q_{bc}$ charges that appear at high-current densities due to the Kirk effect.

$C_{bcp}$ represents the package capacitance.

Model parameters for $q_{boj}$ and $q_{bek}$

<table>
<thead>
<tr>
<th>$\tau_{\text{r}} = 10^{-13}$ s</th>
<th>$F_{cd} = 0.259$</th>
<th>$F_{ck} = 0.7$</th>
</tr>
</thead>
</table>

The new aspects in the model that are highlighted below are:

- Current gain formulation that fit current gain decrease versus collector current.
- Breakdown formulation.
- Temperature dependence of leakage diodes.
- Formulation of base collector charges for an improved cut-off frequency modeling.

Furthermore, a thermal impedance extraction technique already reported in [11, 12] is used and combined with the features mentioned above.

These aspects are successively reported in the following.

III. MODELING ASPECT ENHANCEMENTS APPLIED TO NPN SiGe HBT

A) Current gain formulation

DC I/V characteristics of a $3 \times 2.8 \times 0.35 \mu m^3$ SiGe HBT from Infineon Technologies have been measured using a Keithley 4200 semi-conductor device characterization system. During measurements the transistor is biased with a base current generator configuration [13]. The measurement results are given in Fig. 2.

Figure 3 shows the measured gain current characteristic of the transistor versus collector current. It is observed that the current gain decreases versus collector current. In order to model this behavior, the following expression is used:

$$\beta = \beta_{o} + \beta_{1} \times \exp(-I_{c}/I_{co})$$

where $\beta_{o}$, $\beta_{1}$, and $I_{co}$ are the fitting parameters.

$\beta_{o} = 343$ $\beta_{1} = 60$ $I_{co} = 7 \times 10^{-3}$ A

Figure 4(a) shows a comparison between simulated I/V plots and measurements when the model uses a constant gain ($\beta = \beta_{o}$). Figure 4(b) shows the same comparison when the model uses a current gain that depends on the collector current.

It can be observed in Fig. 4(b) that the enhanced model provides a better fit of I/V characteristics at low current.

B) Breakdown model

For better convergence purpose, breakdown modeling is performed using equation (19)

![Fig. 2. DC IV measurements of a $3 \times 2.8 \times 0.35 \mu m^3$ SiGe HBT.](image)

![Fig. 3. Current gain versus collector current measured at $Vce = 1$ V.](image)
\[ a_f = a_0(1 + \exp(V_{ce}^2 - C - \lambda I_C)) \]  

(19)

where \( C \) and \( \lambda \) are the fitting parameters. \( C \) parameter determines the breakdown voltage for a given collector current and \( \lambda \) takes into account the decrease of breakdown voltage at high collector currents. A good agreement between measurements and simulated results is illustrated in Fig. 5.

\[ \alpha = 0.975 \quad C = 3.8 \quad \lambda = 150 \]

C) Base collector charge formulation

The determination of cut-off frequencies and particularly the transition frequency is very important.

The transition frequency \( \text{Ft} \) is determined by computing the current gain from \( S \)-parameter measurements up to 65 GHz and by extrapolating the current gain at higher frequencies, until it reaches 0 dB. Analytical expression of gain current \( h_{21} \) deduced from \( S \) parameters is given in equation (20).

\[ h_{21} = \frac{2S_{12}}{(1 - S_{11})(1 + S_{22}) + S_{12}S_{21}} \]  

(20)

In order to obtain correct behavior of the non-linear model at high-current densities and high collector emitter voltages, the base collector charges have been modeled by the following expressions:

\[ q_{bc} = q_{bcj} + q_{bc_kirk} + q_{bc_Vcb} \]

\[ q_{bc_kirk} = \tau_0(1 + \tanh(1 \times 10^{-3}(I_C - I_{ck}))(I_C^2)) \]  

(21)

\[ q_{bc_Vcb} = -C_{bc} \exp(V_{cb} - V_{cb0}) \]  

(22)

The equations (21) and (22) replace equations (14), (16) and (17). The increase of base collector capacitance with respect to collector current enables the modeling of transition frequency saturation at high collector current (Kirk effect) as shown in Fig. 6.

The increase of base collector capacitance with respect to collector-base voltage also enables a good fit of transition frequency saturation at high collector base voltages as shown in Fig. 7.

D) Leakage diode temperature dependence

In order to characterize thermal dependence, \( I_C \) versus \( V_{ce} \) DC measurements are performed at different chuck temperatures as shown in Fig. 8.

![Fig. 4. Simulated IV network with constant current gain (a) and variable current gain versus collector current (b). (Ib_start = 1 \mu A; Ib_step = 40 \mu A; and Ib_stop = 201 \mu A).](image)

![Fig. 5. Simulated and measured IV network with breakdown modeling. (Ib_start = 1 \mu A; Ib_step = 40 \mu A; and Ib_stop = 201 \mu A).](image)

![Fig. 6. Transition frequency versus collector current.](image)

![Fig. 7. Transition frequency versus collector emitter voltage.](image)
It can be observed in Fig. 8 that the collector current decreases when the chuck temperature increases. However, for any fixed temperature and base current conditions, collector current does not decrease when collector voltage increases. Consequently, we have included in the model a temperature dependence of the current flowing in the base emitter leakage diode. The leakage current increases when the temperature increases. Leakage current variations versus

![Image](image_url)

Fig. 8. Simulated and measured $I_c$ versus $V_{ce}$ for different chuck temperature.

![Image](image_url)

Fig. 9. (a) Imaginary part of thermal impedance. (b) Real part of thermal impedance.

![Image](image_url)

Fig. 10. Enhanced thermal sub circuit description.

![Image](image_url)

Fig. 11. Simulated and measured IV network ($I_{b,\text{start}} = 1 \mu A$; $I_{b,\text{step}} = 50 \mu A$; and $I_{b,\text{stop}} = 301 \mu A$).

It can be observed in Fig. 8 that the collector current decreases when the chuck temperature increases. However, for any fixed temperature and base current conditions, collector current does not decrease when collector voltage increases. Consequently, we have included in the model a temperature dependence of the current flowing in the base emitter leakage diode. The leakage current increases when the temperature increases. Leakage current variations versus

<table>
<thead>
<tr>
<th>Model parameter</th>
<th>Scaling law</th>
</tr>
</thead>
<tbody>
<tr>
<td>Emitter resistance</td>
<td>$R_e = 2.98 - \frac{0.4}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>Current gain</td>
<td>$\beta = \beta_0 + B_e \exp\left(-\frac{I_c}{I_c^0}\right)$</td>
</tr>
<tr>
<td></td>
<td>$\beta_0 = \beta_0 + 18.4 \left(1 - \exp\left(-\left(\frac{A_E - 2.94}{0.3}\right)\right)\right)$</td>
</tr>
<tr>
<td></td>
<td>$\beta_1 = \beta_1 + 50 \left(1 - \exp\left(-\left(\frac{A_E - 2.94}{0.3}\right)\right)\right)$</td>
</tr>
<tr>
<td>Collector resistance</td>
<td>$R_c = 30 - \frac{18}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>Thermal resistance</td>
<td>$R_{th,u} = R_{th} + \frac{440}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>Base collector junction</td>
<td>$C_{bcj} = C_{bcj,u} + \frac{(1e - 14)}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>capacitance</td>
<td>$I_{ko} = 11e - 3 + \frac{(2e - 3)}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>Kirk current</td>
<td>$I_{se,u} = \frac{400}{1.12} (A_E - 2.94)$</td>
</tr>
<tr>
<td>Base emitter diode</td>
<td>$I_{se,u} = 500$</td>
</tr>
</tbody>
</table>

![Image](image_url)

Table 1. Scaling rules of model parameters $X_u$ denotes the value of the parameter $X$ for $A_E = 2.94 \mu m^2$ (emitter area for the smallest transistor $3 \times 2.8 \times 0.35 \mu m^2$).
temperature are modeled by equation (23):

\[
I_{sfe} = I_{sfe0} \times e^{\frac{kT_{FE}}{qN_{FE}vT}} \times \exp\left(-\frac{kT_{FE}}{qN_{FE}vT}(\exp\frac{V_{be}}{qN_{FE}vT} - 1)\right)
\]

where \(I_{sfe0}\), \(T_{FE}\), and \(N_{FE}\) are the fitting parameters.

\[I_{sfe0} = 5 \times 10^{-3} \text{A} \quad T_{FE} = 8000 \text{ K} \quad N_{FE} = 2.1 \quad vT = 25 \text{ mV}\]

**E) Thermal sub circuit determination**

The thermal impedance profile versus frequency has been extracted using low-frequency \(S\) parameters method previously reported in [9]. The thermal impedance is extracted from the \(h_{12}\) parameter using the following relation:

\[
Z_{th}(\omega) = \frac{h_{12}(\omega)}{\phi T_{CO}} \quad \text{where} \quad \phi = \frac{\partial V_{be}}{\partial T}
\]

![Fig. 12.](image1.png)  
(a) Measured versus simulated \(S_{11}\). (b) Measured versus simulated \(S_{21}\). (c) Measured versus simulated \(S_{12}\). (d) Measured versus simulated \(S_{22}\).

![Fig. 13.](image2.png)  
Measured and simulated gain versus input power.
Following equation (24), it is clear that, for a given collector current $I_{C0}$, the only parameter to be determined is the base-emitter thermal coefficient $f$. This coefficient is a technological parameter of the transistor that slightly depends on the collector current. It is taken here to be a value of $-0.9 \text{ mV/}^\circ\text{C}$.

Figures 9(a) and 9(b) show the real and imaginary parts of the thermal impedance measured in the (100 Hz–5 MHz) frequency range [14].

For a good description of thermal behavior, the thermal impedance symbolically represented in Fig. 1 by a single parallel RC network is substituted by a multi cell RC network as represented in Fig. 10 [12].

For a good agreement between measurements and simulations eight cells are considered. Model parameters are respectively:

\[
k = 2 \quad R = 300 \text{ C/W} \quad C = 10 \times 10^{-12} \text{ J/}^\circ\text{C} \quad R_{TH} = 830 \text{ C/W}
\]

$k$ is a fitting parameter used to obtain a transient part of the thermal response close to a $\sqrt{T}$ shape ($T$ is the temperature).

IV. MODEL SCALING

As the collector current flows through the emitter contact, $I_{C0}$ is proportional to the emitter area $A_E$. Thus, the proposed model can be scaled with respect to the emitter area. In this section, the scaling laws adopted for this model are given.

Table 1 gives a summary of the scaled parameters and their scaling rules. The model parameters are scaled with respect to the emitter area $A_E$.

Fig. 11 shows the simulated versus measured IV network for a $1 \times 10 \times 3.5 \text{ } \mu\text{m}^2$.

V. MODEL VALIDATION

A) $S$ parameters measurements

$S$ parameters of the transistor are measured from 100 Hz to 65 GHz. The validation of the model over this frequency bandwidth is important for its use for the design of broadband analog digital converters.

Figure 12 shows a comparison between measured and simulated $S$ parameters of a $3 \times 2.8 \times 0.35 \text{ } \mu\text{m}^2$ SiGe HBT.
A good agreement between measured and simulated S parameters on the whole frequency bandwidth is obtained. It can be observed as two different regions in S-parameter loci. At low frequency, below 200 MHz, both thermal and electrical aspects are present and taken into account in transistor responses. For frequencies above 200 MHz, only electrical aspects impact transistor behavior.

B) Large signal measurements

Large signal measurements have consisted here in measuring the power gain of the transistor for different bias points and RF input power levels. CW measurements given below are performed at 2 GHz. The transistor under test is terminated into a 50 Ω load.

The power is swept from −40 to −12 dBm. Time domain current and voltage waveforms are obtained, thanks to the use of a vector network analyzer having time domain capabilities. We used for that purpose a large signal network analyzer (LSNA) with a calibrated phase reference generator [15].

Figures 13–15 show a comparison between simulated and measured power gain, voltage and current waveforms, and collector DC current.

Same measurements are performed at 5 GHz.

Figures 16–18 show a comparison between simulated and measured power gain, voltage and current waveforms, and collector DC current.

VI. CONCLUSION

In this paper, an accurate HBT Electro-Thermal compact model has been proposed. It has been shown that very small thermal time constants are involved in SiGe HBTs. Moreover, the non-linear model can easily be implemented in CAD software for the simulation of circuits such as power amplifiers or ADCs.

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